



Quantum excitations, real and simulated

Leon Balents,
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Recent Progress in Quantum Materials 2023

Collaborators



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Outline

- Quantum Ising chain: flat bands and soliton interactions
- Computing excitations on a quantum computer

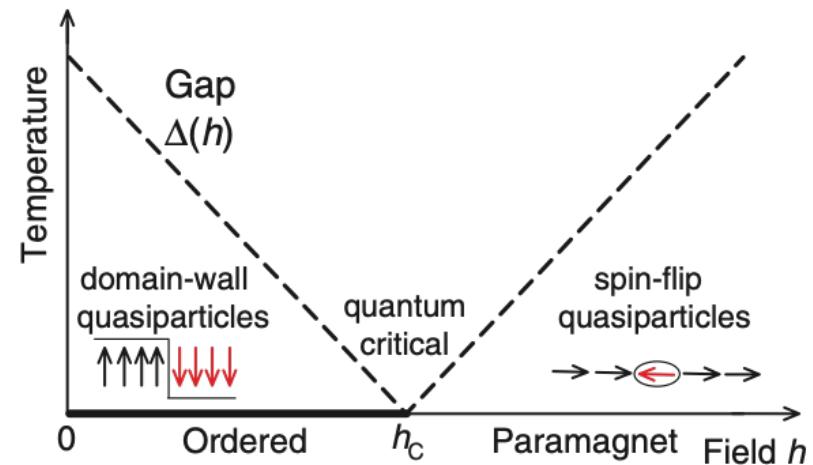
Outline

- Quantum Ising chain: flat bands and soliton interactions
- Computing excitations on a quantum computer

Quantum Ising chain

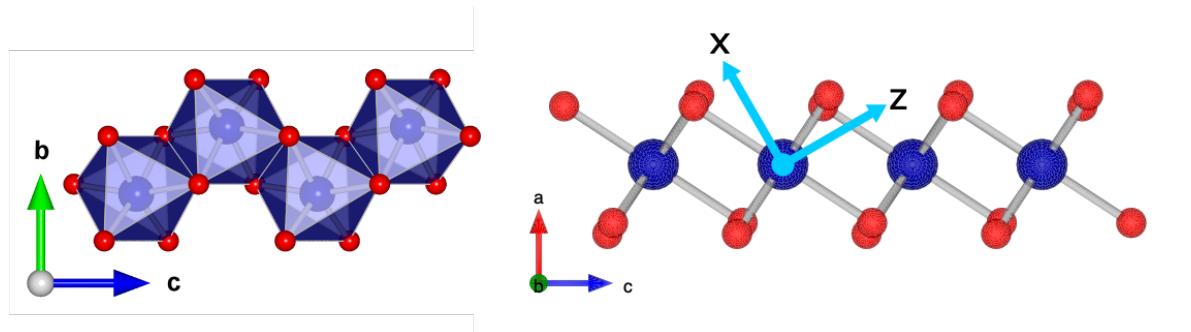
$$H = \sum_i -J_z S_i^z S_{i+1}^z - h_y S_i^y$$

Solitons = the simplest example
of non-local excitations

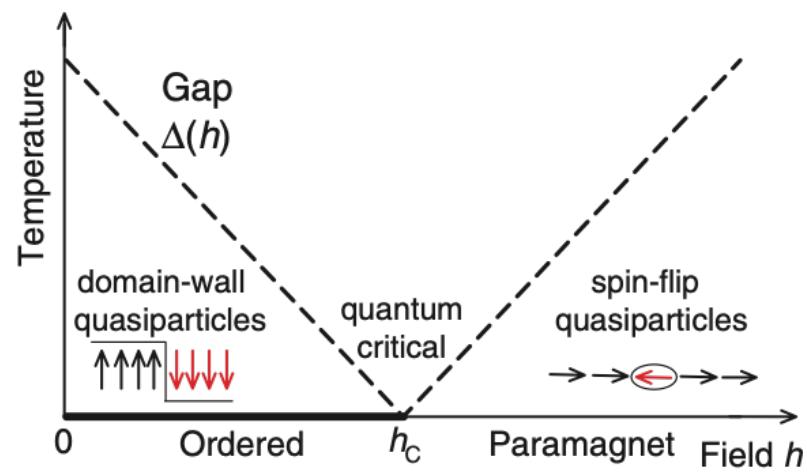


$S^z=1$ excitations are soliton pairs and form a continuum

CoNb₂O₆

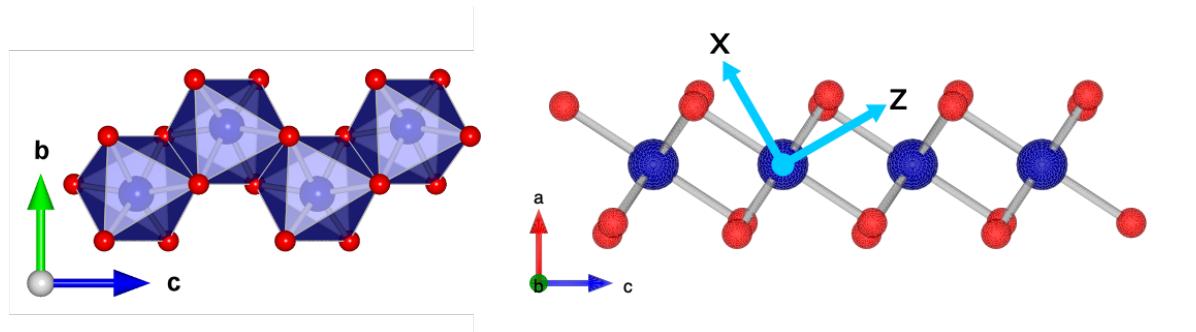


R. Coldea *et al*, Science 327, 117 (2010)

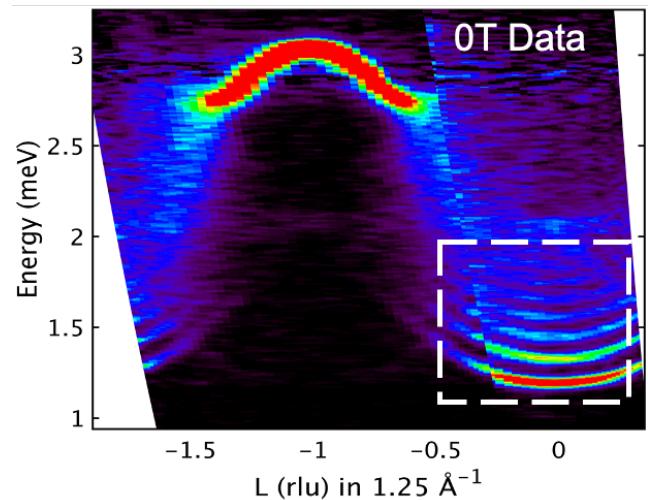
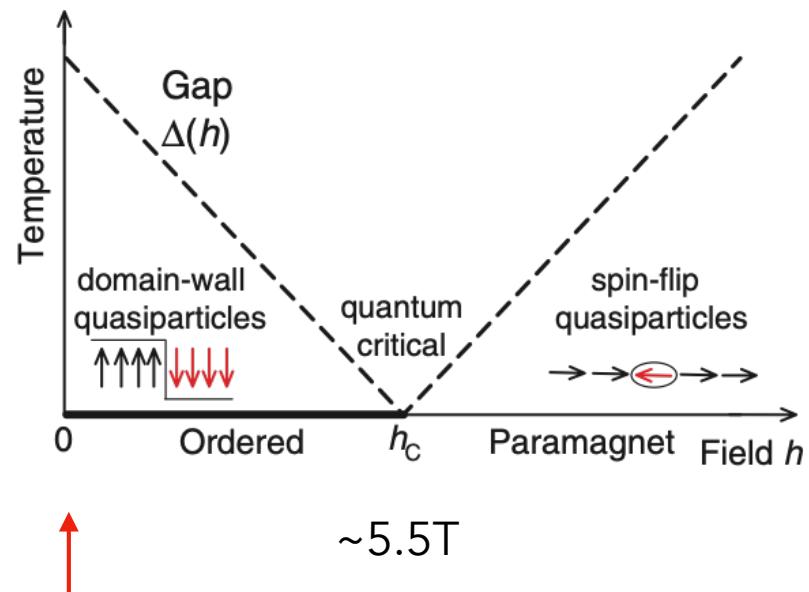


~5.5T

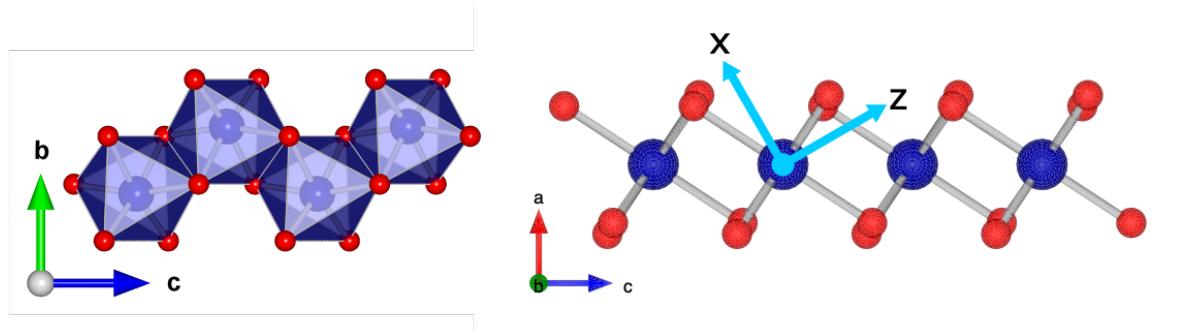
CoNb₂O₆



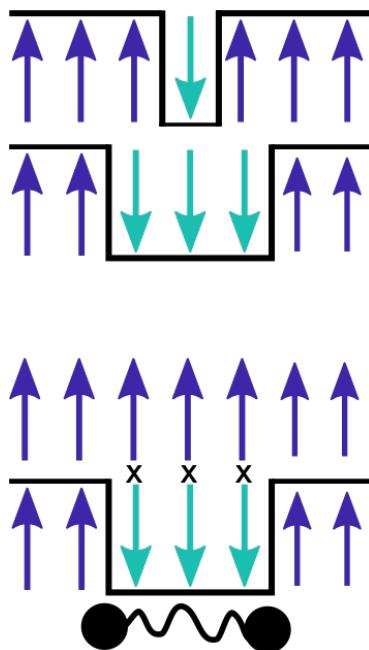
R. Coldea *et al*, Science 327, 117 (2010)



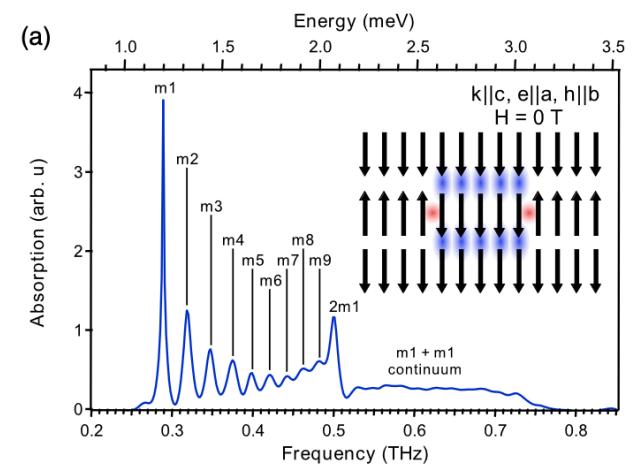
CoNb₂O₆



R. Coldea *et al*, Science 327, 117 (2010)

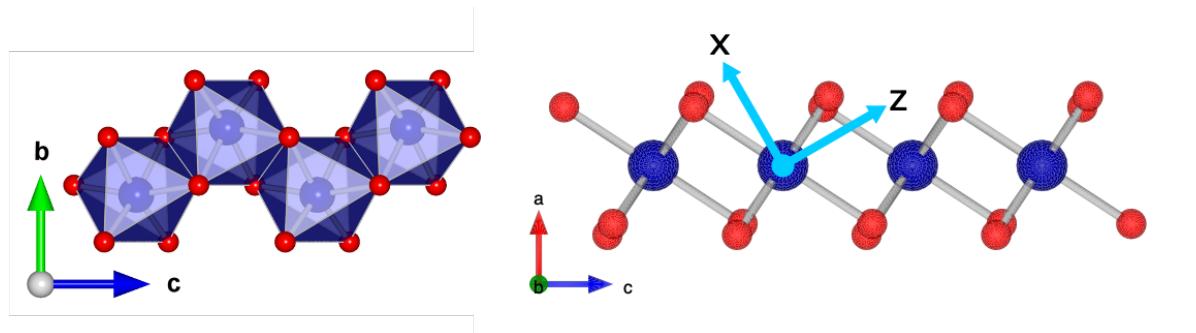


Continuum splits into tower of weakly bound states, due to weak *longitudinal* field from neighboring chains

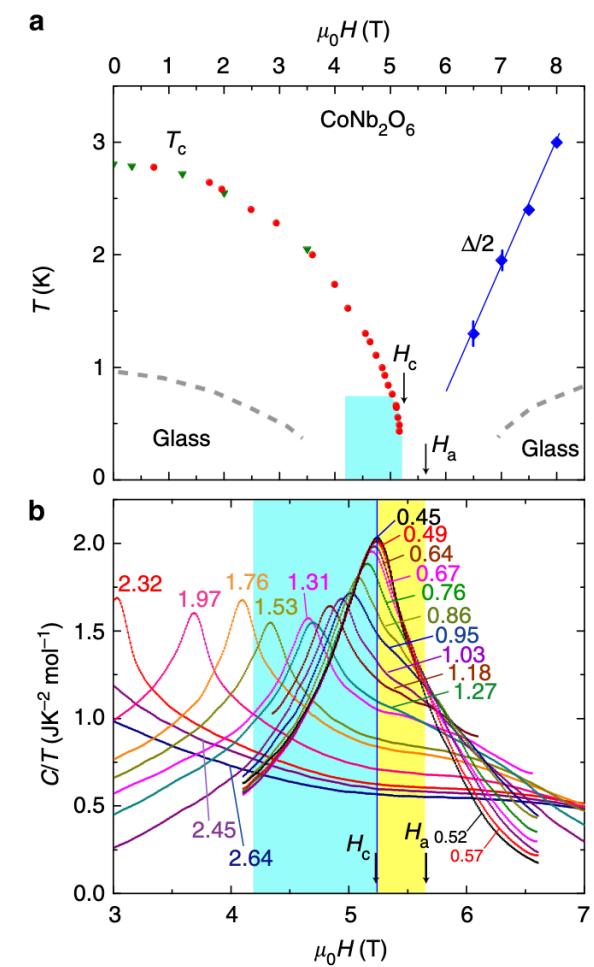
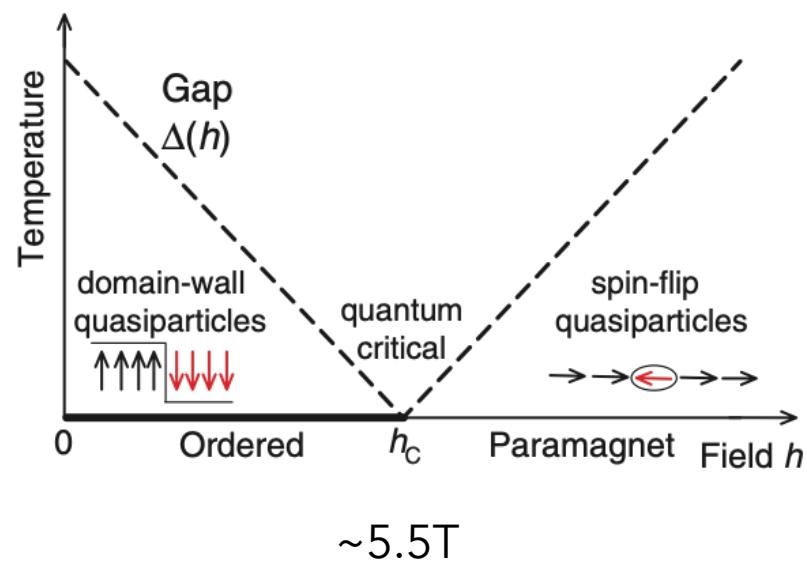


C. Morris *et al*, 2014

CoNb₂O₆

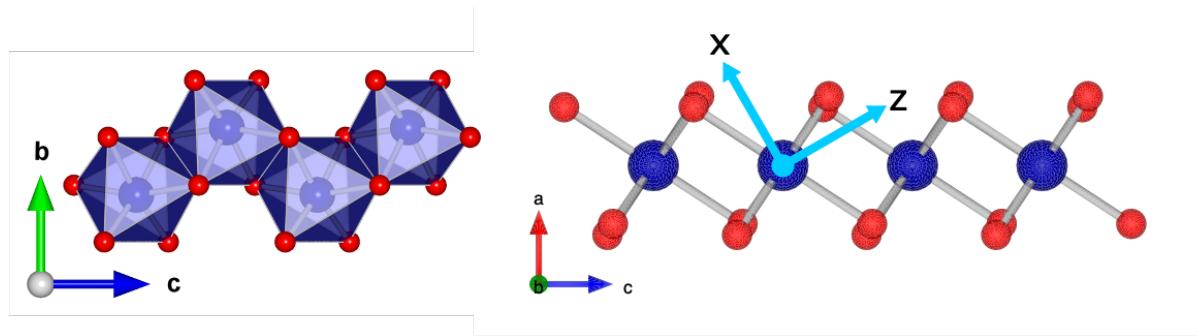


R. Coldea *et al*, Science 327, 117 (2010)

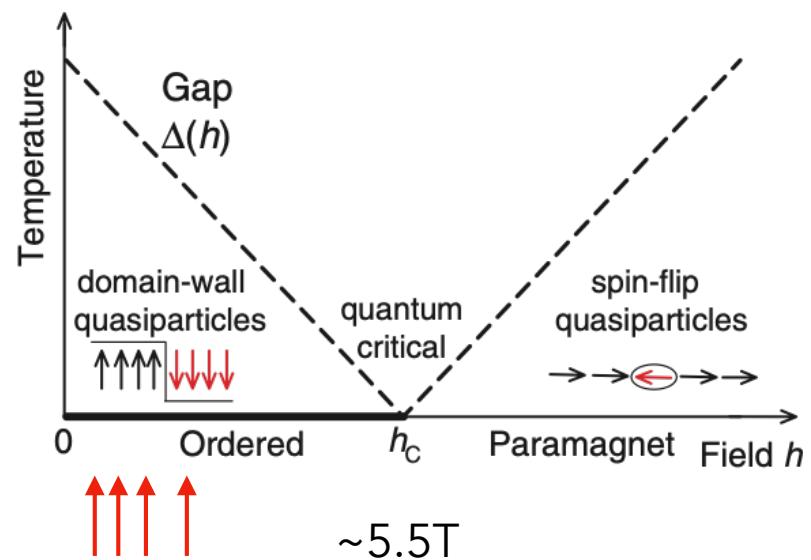


T. Liang *et al*, 2015

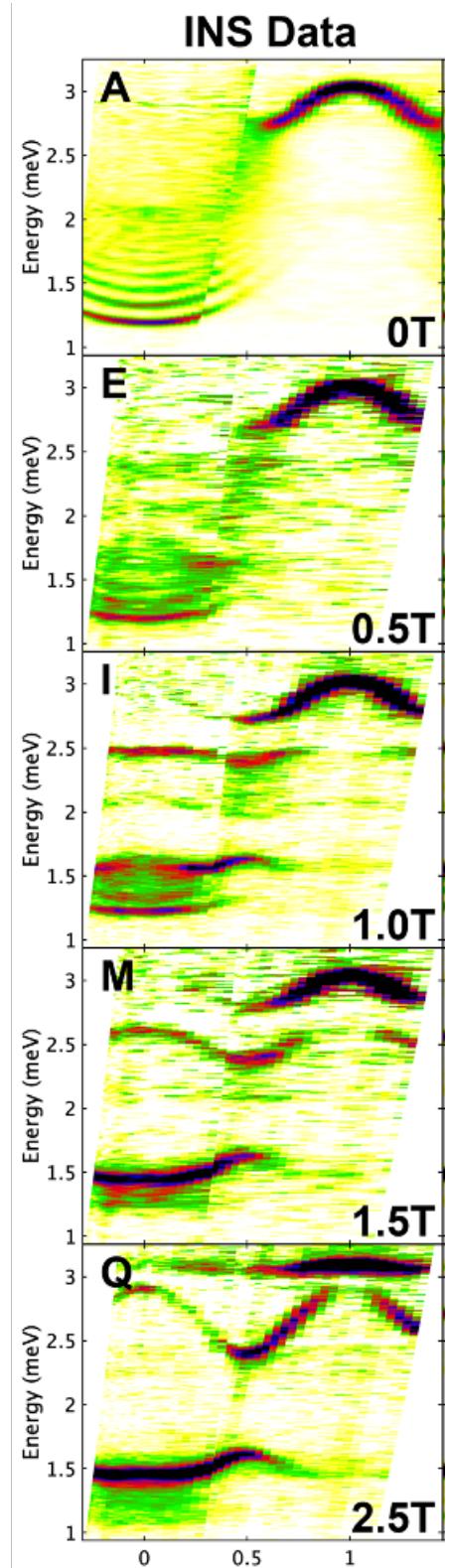
CoNb₂O₆



L. Woodland et al, arXiv:2306.01948



Surprising complex behavior in between!



A refined model

$$\mathcal{H} = \mathcal{H}_1 + \mathcal{H}_2 + \mathcal{H}_3$$

where

$$\mathcal{H}_1 = J \sum_j \left[-S_j^z S_{j+1}^z - \lambda_S (S_j^x S_{j+1}^x + S_j^y S_{j+1}^y) \right. \\ \left. + (-1)^j \lambda_{yz} (S_j^y S_{j+1}^z + S_j^z S_{j+1}^y) \right] + \sum_j h_y S_j^y,$$

XY

Staggered anisotropy

$$\mathcal{H}_2 = J \sum_j \left[-\lambda_A (S_j^x S_{j+1}^x - S_j^y S_{j+1}^y) \right. \\ \left. + \lambda_{\text{AF}} S_j^z S_{j+2}^z + \lambda_{\text{AF}}^{xy} (S_j^x S_{j+2}^x + S_j^y S_{j+2}^y) \right],$$

M. Fava *et al*, 2020; L. Woodland *et al*, arXiv 2308.07699

A refined model

$$\mathcal{H} = \mathcal{H}_1 + \mathcal{H}_2 + \mathcal{H}_3$$

where

$$\begin{aligned}\mathcal{H}_1 = J \sum_j & [-S_j^z S_{j+1}^z - \lambda_S (S_j^x S_{j+1}^x + S_j^y S_{j+1}^y) \\ & + (-1)^j \lambda_{yz} (S_j^y S_{j+1}^z + S_j^z S_{j+1}^y)] + \sum_j h_y S_j^y,\end{aligned}$$

$$\begin{aligned}\mathcal{H}_2 = J \sum_j & [-\lambda_A (S_j^x S_{j+1}^x - S_j^y S_{j+1}^y) \\ & + \lambda_{\text{AF}} S_j^z S_{j+2}^z + \lambda_{\text{AF}}^{xy} (S_j^x S_{j+2}^x + S_j^y S_{j+2}^y)] ,\end{aligned}$$

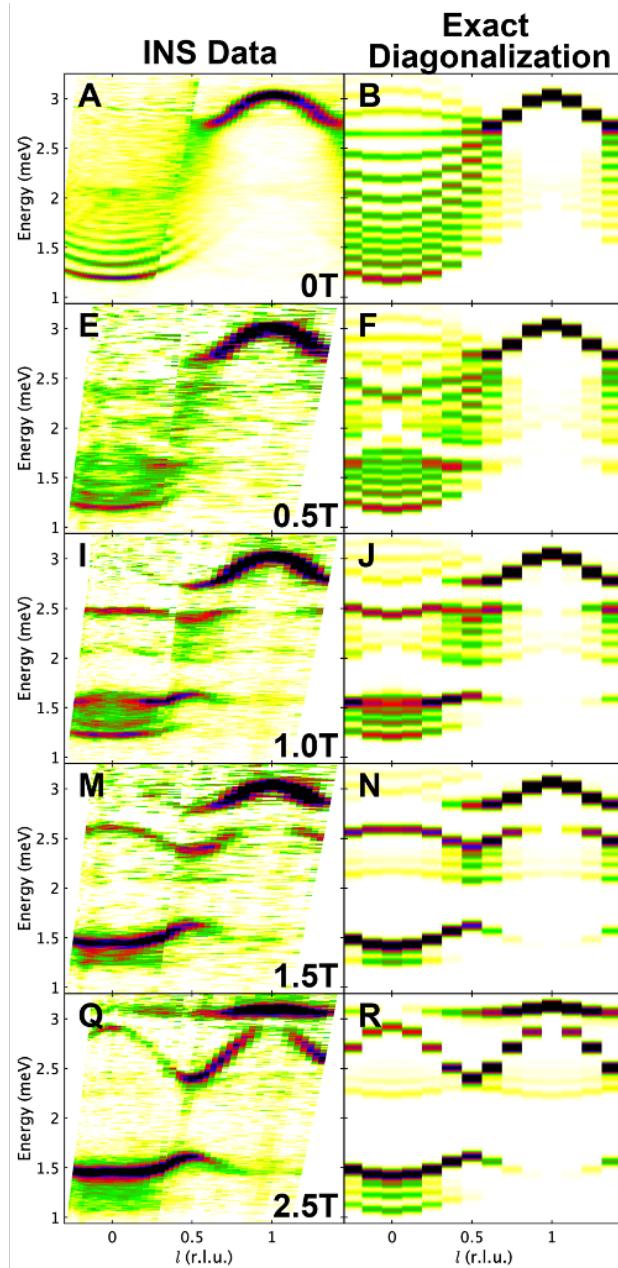
M. Fava *et al*, 2020; L. Woodland *et al*, arXiv 2308.07699

J	2.48(2) meV
λ_S	0.251(6)
λ_{yz}	0.226(3)
g_y	3.32(2)
λ_A	-0.021(1)
λ_{AF}	0.077(3)
λ_{AF}^{xy}	0.031(1)
λ_{MF}	0.0158(2)

(These are fit from
different experiments)

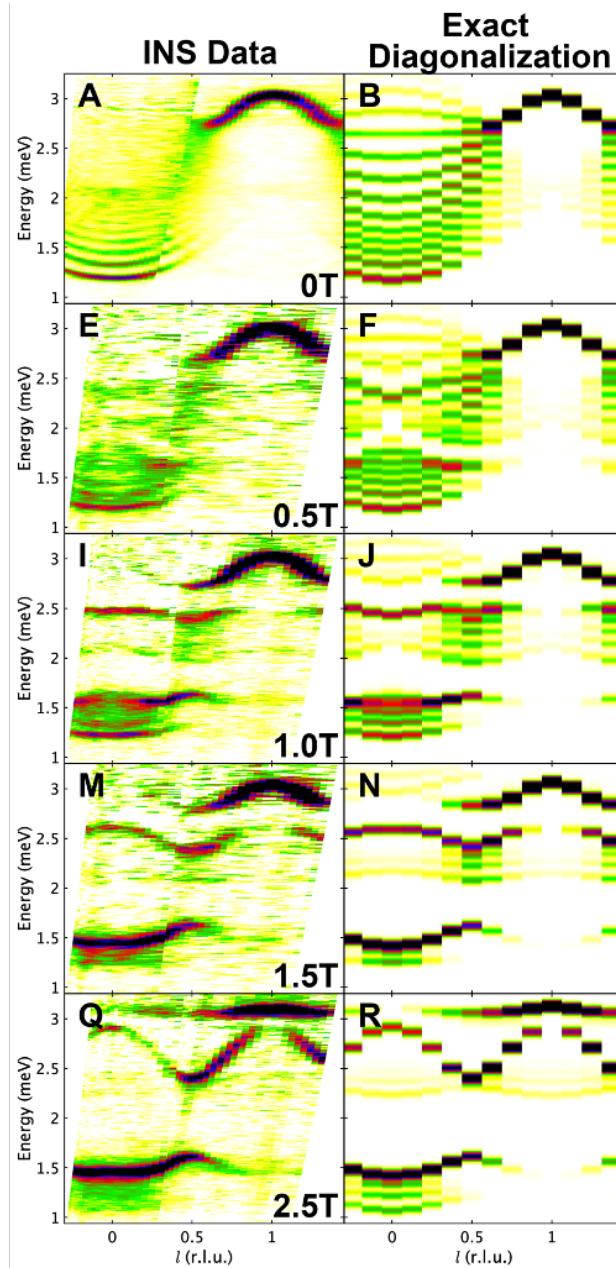
Smallness of perturbations implies we should be able to understand this!

The model works



I think this speaks
for itself

The model works

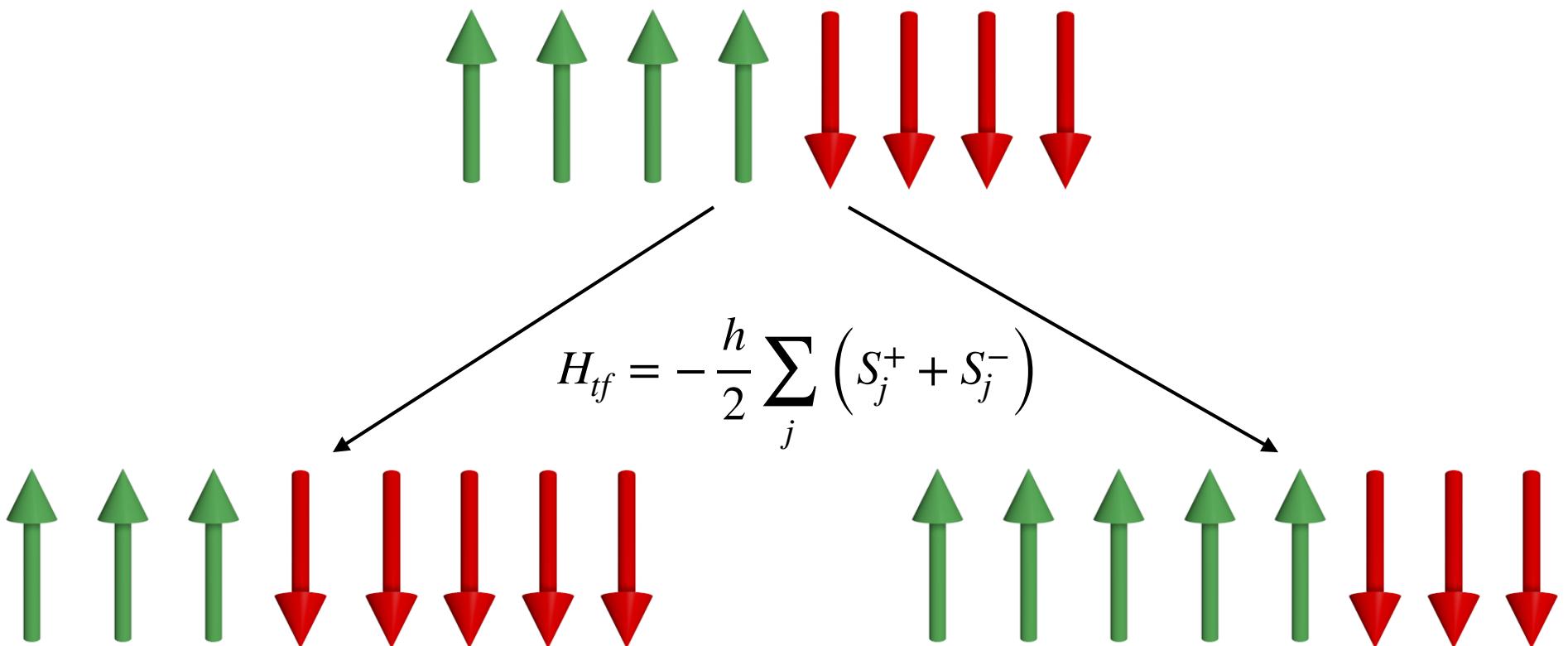


I think this speaks
for itself

But let's try to
understand it

One soliton

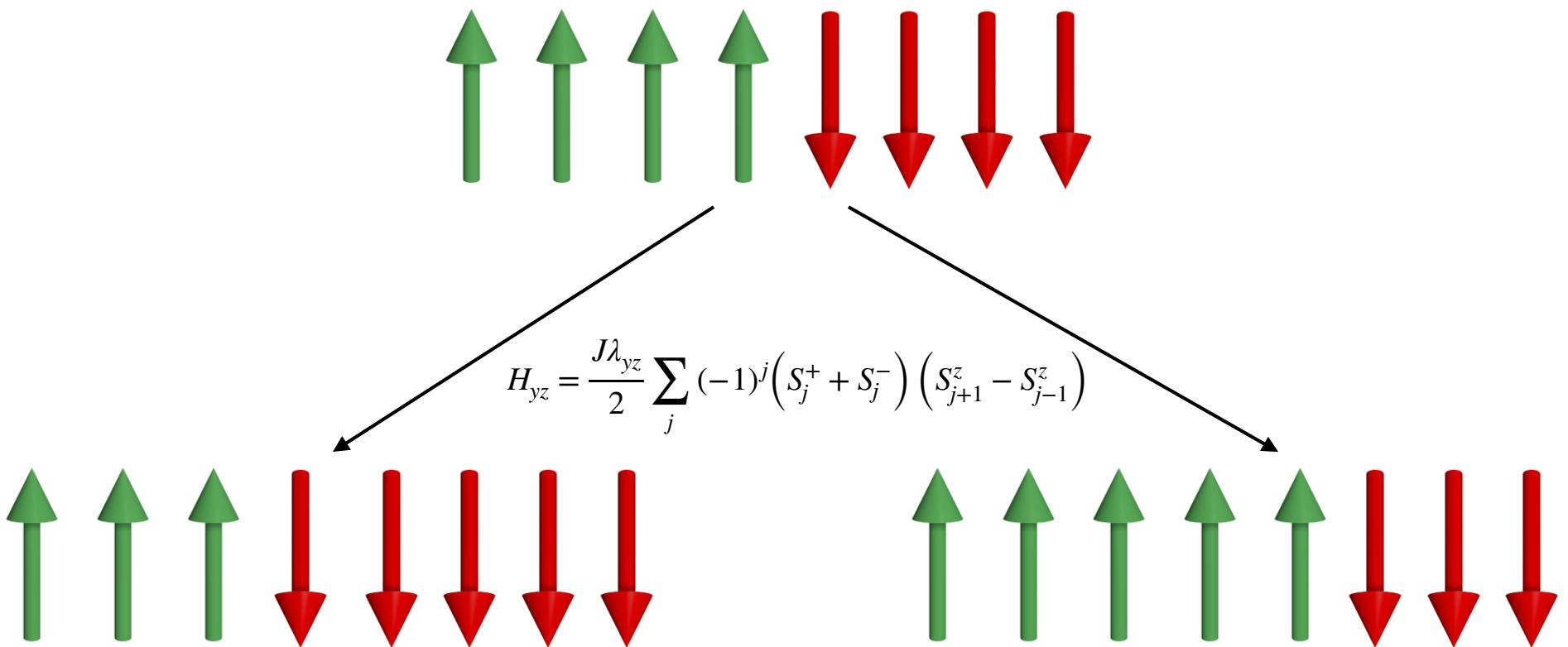
Start with one soliton:



Hopping amplitude $h/2$

One soliton

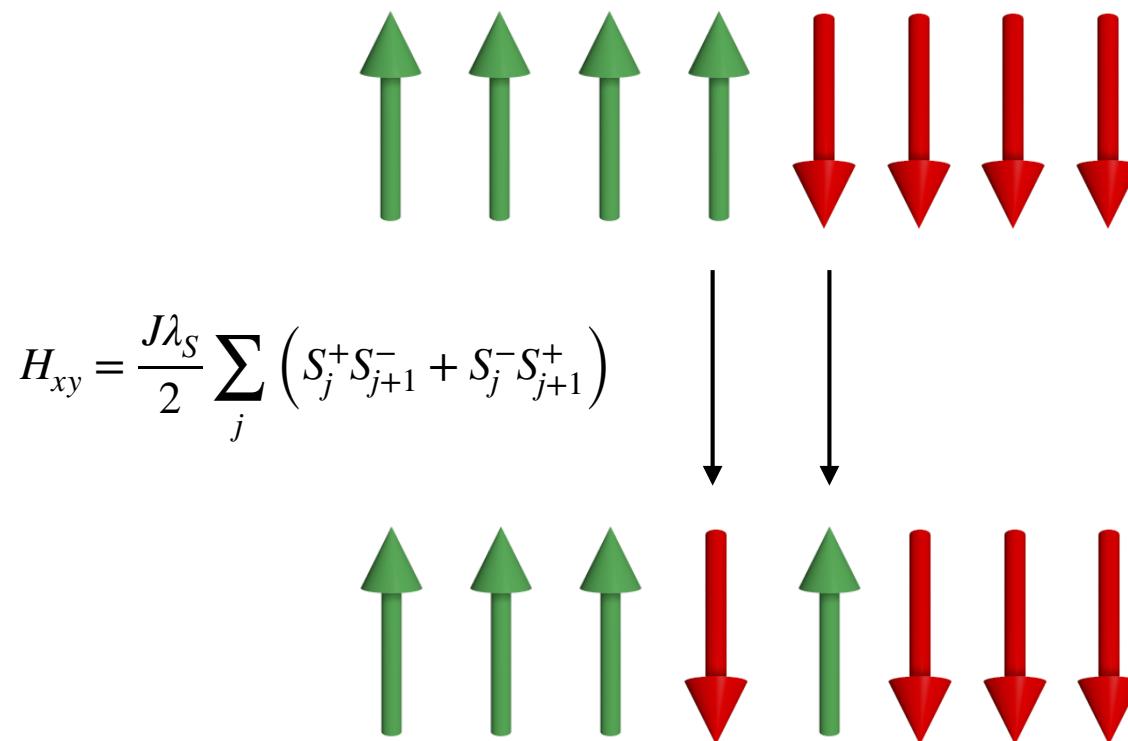
Start with one soliton:



Hopping amplitude $\pm J\lambda_{yz}/2$

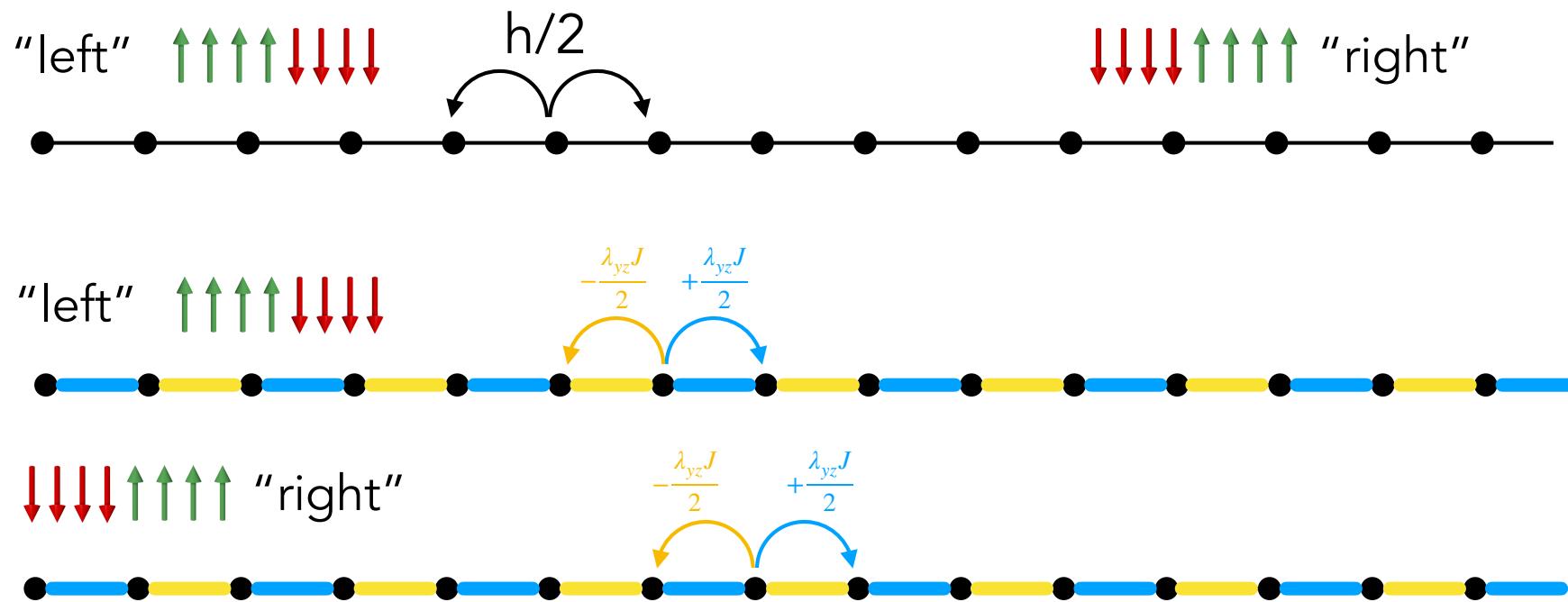
One soliton

Start with one soliton:

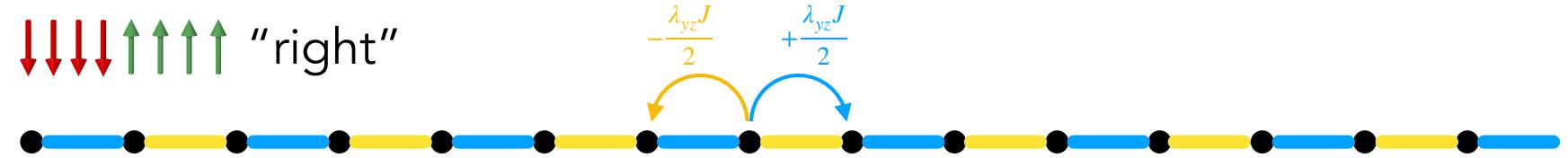
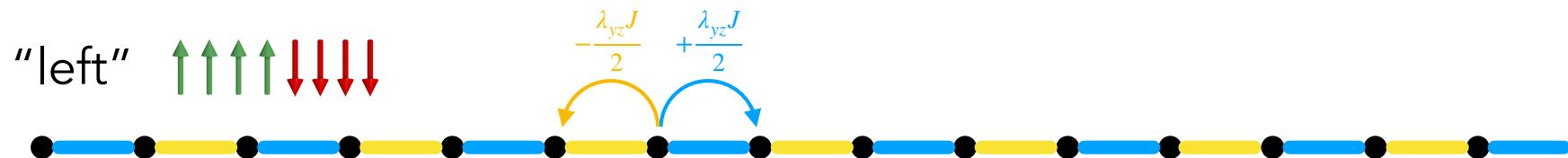
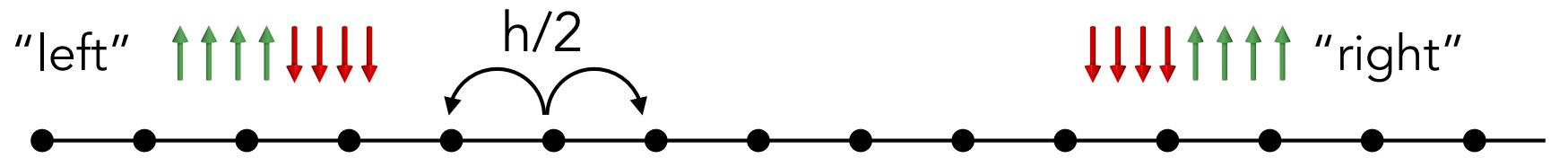


3 soliton state: high energy

Hopping picture



Hopping picture



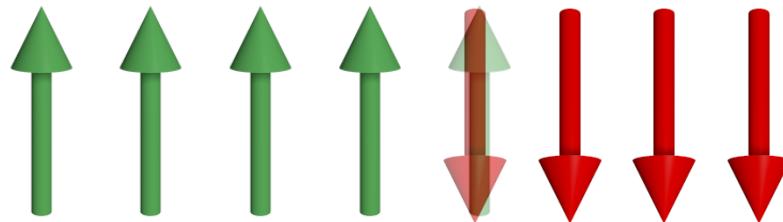
Net effect

$$\frac{h \mp \lambda_{yz}J}{2} \quad \frac{h \pm \lambda_{yz}J}{2}$$



$h = \lambda_{yz}J$: localized solitons!

Hopping picture



Another view of a localized soliton

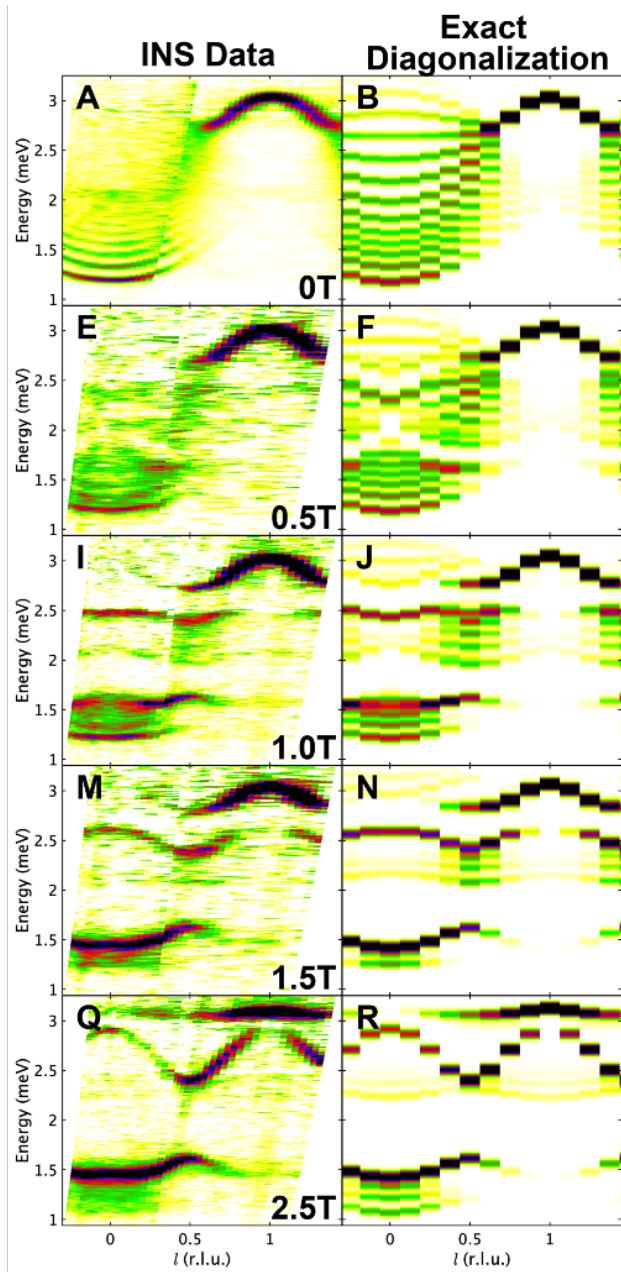
Net effect

$$\frac{h \mp \lambda_{yz}J}{2} \quad \frac{h \pm \lambda_{yz}J}{2}$$



$h = \lambda_{yz} J$: localized solitons!

Back to experiment



←
This is around the
flat band condition

$$h = \lambda_{yz} J$$

Two solitons

We expect that flat band solitons interact strongly when nearby.

$$|j_L, j_R\rangle = |\cdots \uparrow \uparrow_{j_L-1} \downarrow_{j_L} \cdots \downarrow_{j_R-1} \uparrow_{j_R} \uparrow \cdots \rangle$$

$$|\Psi\rangle = \sum_{j_L < j_R} \Psi(j_L, j_R) |j_L, j_R\rangle.$$

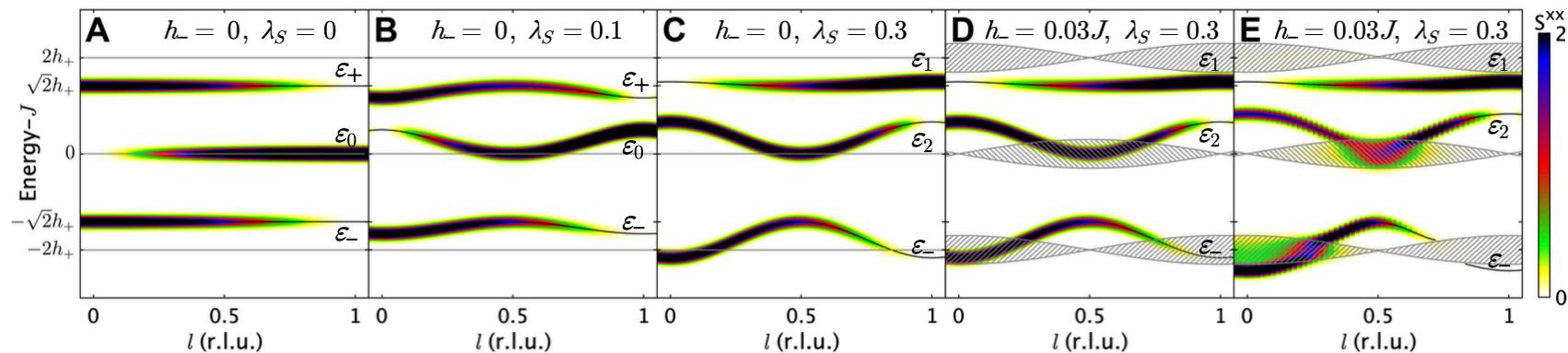


Obeys a 2-particle Schrödinger equation

Two solitons

3 bound state modes

2 symmetric
1 antisymmetric



Exactly
flat

Small XY
coupling

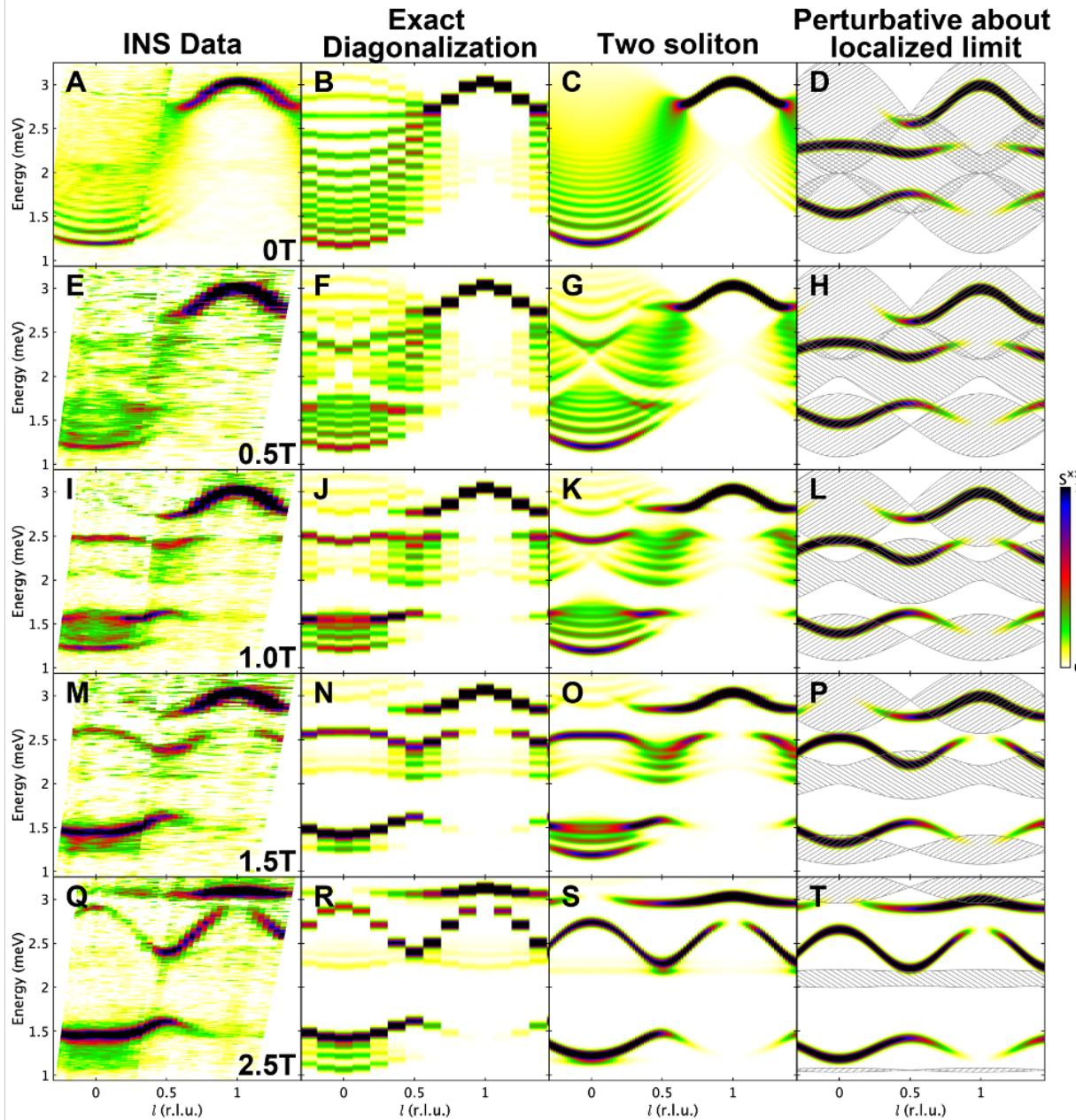
Experimental
XY coupling

Tuning away
(approx)

Tuning away
(full)

Band inversion

Full comparison



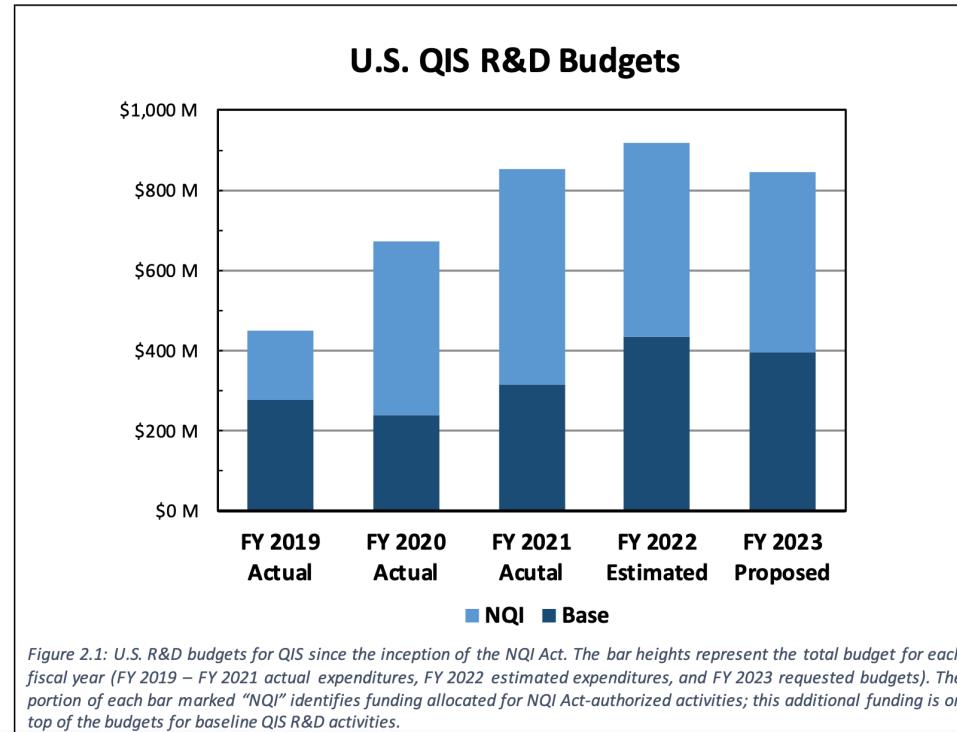
- 2 soliton states highly accurate
- Localized soliton approximation quantitative near 2.5T as expected
- Visible features of band inversion

Outline

- Quantum Ising chain: flat bands and soliton interactions
- Computing excitations on a quantum computer

Quantum science

- \$\$:
 - Microsoft Quantum: probably > \$300M per year.
 - Many others!



Quantum science

- People:
 - Compare arXiv “new” listings:
 - 172 CM vs 131 Quantum
 - Experimentalists going to private sector
 - Theorists mass movement to QI:
 - Let's look at UCSB faculty



1. arXiv:2306.00058 [pdf, other] quant-ph cond-mat.stat-mech

Universality of the cross entropy in \mathbb{Z}_2 symmetric monitored quantum circuits

Authors: Maria Tikhonovskaya, Ali Lavasani, Matthew P. A. Fisher, Sagar Vijay

Submitted 14 August, 2023; v1 submitted 31 May, 2023; originally announced June 2023.

Comments: 12+6 pages, 16 figures. V2: References added

2. arXiv:2304.13198 [pdf, other] quant-ph cond-mat.stat-mech

Continuous symmetry breaking in adaptive quantum dynamics

Authors: Jacob Hauser, Yaodong Li, Sagar Vijay, Matthew P. A. Fisher

Submitted 25 April, 2023; originally announced April 2023.

Comments: 17 pages, 10 figures

3. arXiv:2303.01533 [pdf, other] quant-ph cond-mat.stat-mech

Measurement-induced Floquet enriched topological order

Authors: DinhDuy Vu, Ali Lavasani, Jong Yeon Lee, Matthew P. A. Fisher

Submitted 2 March, 2023; originally announced March 2023.

Comments: 6+7 pages, 12 figures

4. arXiv:2210.11547 [pdf, other] quant-ph cond-mat.dis-nn cond-mat.stat-mech

Coherence requirements for quantum communication from hybrid circuit dynamics

Authors: Shane P. Kelly, Ulrich Poschinger, Ferdinand Schmidt-Kaler, Matthew P. A. Fisher, Jamir Marino

Submitted 23 May, 2022; v1 submitted 20 October, 2022; originally announced October 2022.

Comments: 19 pages, 12 figures

5. arXiv:2209.06609 [pdf, other] quant-ph cond-mat.stat-mech doi 10.1103/PhysRevLett.130.220404

Cross Entropy Benchmark for Measurement-Induced Phase Transitions

Authors: Yaodong Li, Yijian Zou, Paolo Glorioso, Ehud Altman, Matthew P. A. Fisher

Submitted 7 June, 2023; v1 submitted 1 September, 2022; originally announced September 2022.

Comments: 7+8 pages, 6 figures. v2: 7+9 pages, 3+3 figures. Updated discussions on sample size (Fig. 2d, 2e), and new results from ra



1. arXiv:2305.13240 [pdf, other] cond-mat.str-el cond-mat.stat-mech quant-ph

Entanglement Spectrum as a diagnostic of chirality of Topological Spin Liquids: Analysis of an $SU(3)$ PEPS

Authors: Mark J. Arildsen, Ji-Yao Chen, Norbert Schuch, Andreas W. W. Ludwig

Submitted 22 May, 2023; originally announced May 2023.

Comments: 49 pages, 14 figures, 8 tables

2. arXiv:2302.09094 [pdf, other] cond-mat.stat-mech cond-mat.dis-nn cond-mat.str-el quant-ph

Measurement-induced entanglement transitions in quantum circuits of non-interacting fermions: Born-rule versus forced measurements

Authors: Chao-Ming Jian, Hassan Shapourian, Bela Bauer, Andreas W. W. Ludwig

Submitted 17 February, 2023; originally announced February 2023.

Comments: 16+5 pages, 6 figures

3. arXiv:2207.03246 [pdf, other] cond-mat.str-el cond-mat.stat-mech quant-ph

Entanglement spectra of non-chiral topological (2+1)-dimensional phases with strong time-reversal breaking, Li-Haldane state counting, and PEPS

Authors: Mark J. Arildsen, Norbert Schuch, Andreas W. W. Ludwig

Submitted 7 July, 2022; originally announced July 2022.

Comments: 45 pages, 9 figures, 5 tables

4. arXiv:2110.02988 [pdf, other] cond-mat.stat-mech cond-mat.dis-nn cond-mat.str-el quant-ph

Statistical Mechanics Model for Clifford Random Tensor Networks and Monitored Quantum Circuits

Authors: Yaodong Li, Romain Vasseur, Matthew P. A. Fisher, Andreas W. W. Ludwig

Submitted 6 October, 2021; originally announced October 2021.

Comments: 23 pages, 5 figures. Abstract shortened to meet arxiv requirements, see pdf for full abstract

5. arXiv:2107.03393 [pdf, other] cond-mat.dis-nn cond-mat.stat-mech cond-mat.str-el quant-ph doi 10.1103/PhysRevLett.128.050602

Operator scaling dimensions and multifractality at measurement-induced transitions

Authors: Aidan Zabalo, Michael J. Gullans, Justin H. Wilson, Romain Vasseur, Andreas W. W. Ludwig, Sarang Gopalakrishnan, David A. Huse, J. H. Pixley

Submitted 11 February, 2022; v1 submitted 7 July, 2021; originally announced July 2021.

Comments: (6 + 12) pages, (2 + 12) figures, (1 + 2) tables (Updated with published version)

Journal ref: Phys. Rev. Lett. 128, 050602 (2022)

Not QI

1. arXiv:2306.00058 [pdf, other] quant-ph cond-mat.stat-mech

Universality of the cross entropy in \mathbb{Z}_2 symmetric monitored quantum circuits

Authors: Maria Tikhonovskaya, Ali Lavasani, Matthew P. A. Fisher, Sagar Vijay

Submitted 14 August, 2023; v1 submitted 31 May, 2023; originally announced June 2023.

Comments: 12+6 pages, 16 figures. V2: References added

2. arXiv:2304.13198 [pdf, other] quant-ph cond-mat.stat-mech

Continuous symmetry breaking in adaptive quantum dynamics

Authors: Jacob Hauser, Yaodong Li, Sagar Vijay, Matthew P. A. Fisher

Submitted 25 April, 2023; originally announced April 2023.

Comments: 17 pages, 10 figures

3. arXiv:2304.02664 [pdf, other] quant-ph cond-mat.dis-nn cond-mat.stat-mech

Quantum Coding Transitions in the Presence of Boundary Dissipation

Authors: Isabella Lovas, Utkarsh Agrawal, Sagar Vijay

Submitted 5 April, 2023; originally announced April 2023.

Comments: 21 pages, 14 figures

4. arXiv:2303.15507 [pdf, other] cond-mat.str-el cond-mat.stat-mech quant-ph doi 10.1103/PRXQuantum

Mixed-state long-range order and criticality from measurement and feedback

Authors: Tsung-Cheng Lu, Zhehao Zhang, Sagar Vijay, Timothy H. Hsieh

Submitted 13 September, 2023; v1 submitted 27 March, 2023; originally announced March 2023.

Comments: 25 pages, 11 figures; updated to the published version

Journal ref: PRX Quantum 4, 030318 (2023)

5. arXiv:2211.05784 [pdf, other] quant-ph cond-mat.str-el

The X-Cube Floquet Code

Authors: Zhehao Zhang, David Aasen, Sagar Vijay

Submitted 10 November, 2022; originally announced November 2022.

Comments: Main Text (6 pages, 5 figures), Appendices (4 pages, 5 figures)



1. arXiv:2309.03946 [pdf, other] cond-mat.str-el hep-th

Nonlinear Lifshitz Photon Theory in Condensed Matter Systems

Authors: Yi-Hsien Du, Cenke Xu, Dam Thanh Son

Submitted 7 September, 2023; originally announced September 2023.

2. arXiv:2308.07380 [pdf, other] cond-mat.str-el

Disorder Operator and Rényi Entanglement Entropy of Symmetric Mass Generation

Authors: Zi Hong Liu, Yuan Da Liao, Gaopei Pan, Menghan Song, Jiarui Zhao, Weilun Jiang, Chao-Ming Jian, Yi-Zhuang Yu

Submitted 8 September, 2023; v1 submitted 14 August, 2023; originally announced August 2023.

Comments: 16 pages, 12 figures

3. arXiv:2306.10105 [pdf, other] cond-mat.str-el hep-th

A no-go result for implementing chiral symmetries by locality-preserving unitaries in a 3 dim model of fermions

Authors: Lukasz Fidkowski, Cenke Xu

Submitted 13 July, 2023; v1 submitted 16 June, 2023; originally announced June 2023.

Comments: 3 figures, v3 type fixed

4. arXiv:2305.13410 [pdf, other] cond-mat.str-el hep-th quant-ph

Conformal Field Theories generated by Chern Insulators under Quantum Decoherence

Authors: KaiXiang Su, Nayan Myerson-Jain, Cenke Xu

Submitted 22 May, 2023; originally announced May 2023.

Comments: 8.5 pages, including references

5. arXiv:2304.14433 [pdf, other] cond-mat.str-el hep-th quant-ph

Higher-form Symmetries under Weak Measurement

Authors: KaiXiang Su, Nayan Myerson-Jain, Chong Wang, Chao-Ming Jian, Cenke Xu

Submitted 27 April, 2023; originally announced April 2023.

Comments: 9 pages, 1 figure

6. arXiv:2301.05238 [pdf, other] cond-mat.stat-mech cond-mat.str-el quant-ph doi 10.1103/PRXQuantum.4.0303

Quantum criticality under decoherence or weak measurement

Authors: Jong Yeon Lee, Chao-Ming Jian, Cenke Xu

Submitted 26 July, 2023; v1 submitted 12 January, 2023; originally announced January 2023.

Comments: 18 pages, 5 figures (Accepted to PRX Quantum)

What is it good for?



What is it good for?



What is it good for?

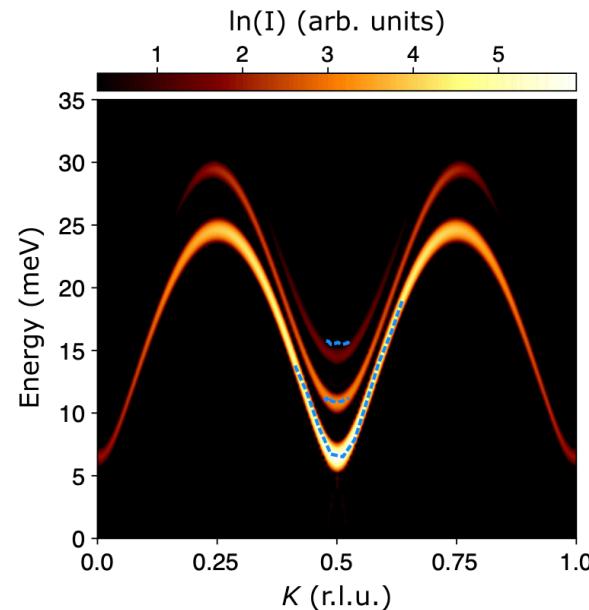
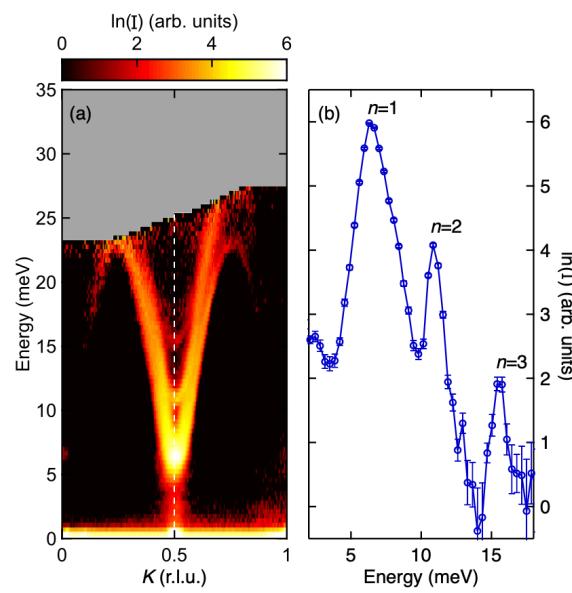


What is it good for?



Application to quantum materials?

- Try to apply quantum algorithms to actual quantum problems
- For example: how would we obtain $S(k, \omega)$ on a quantum computer?



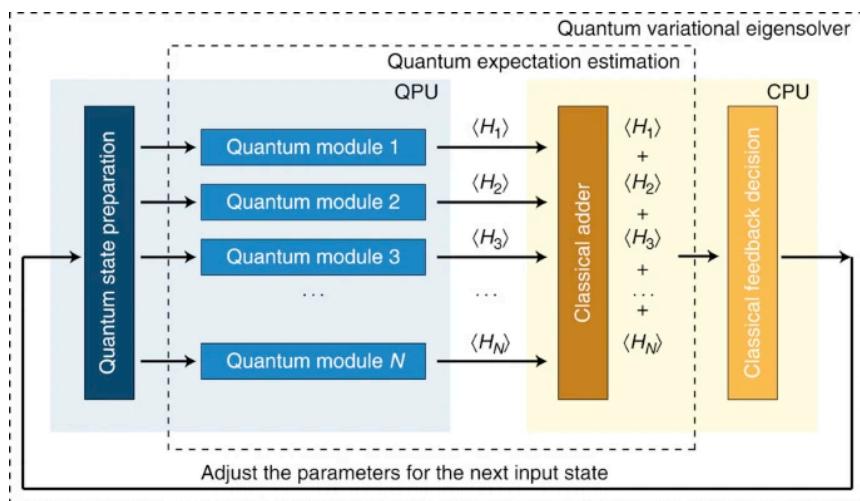
Possible approaches

- Direct time evolution? Q: Isn't that what a quantum computer is good at?
 - A: Maybe a special purpose simulator, but a digital quantum computer like google machines can't. They apply controlled 1 and 2 qubit gates
 - You can Trotterize but this introduces substantial errors that can only be improved by scaling to many gates.
- Instead we will try to use a variational approach to obtain eigenstates.

VQE

- Variational quantum eigensolver:

Peruzzo et al, 2014

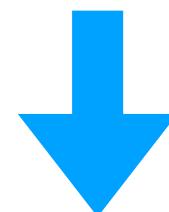


quantum circuit

$$|\Psi(\{\theta_i\})\rangle = U(\{\theta_i\})|\Psi_0\rangle$$

$$E_{\text{var}} = \langle \Psi | H | \Psi \rangle \geq E_0$$

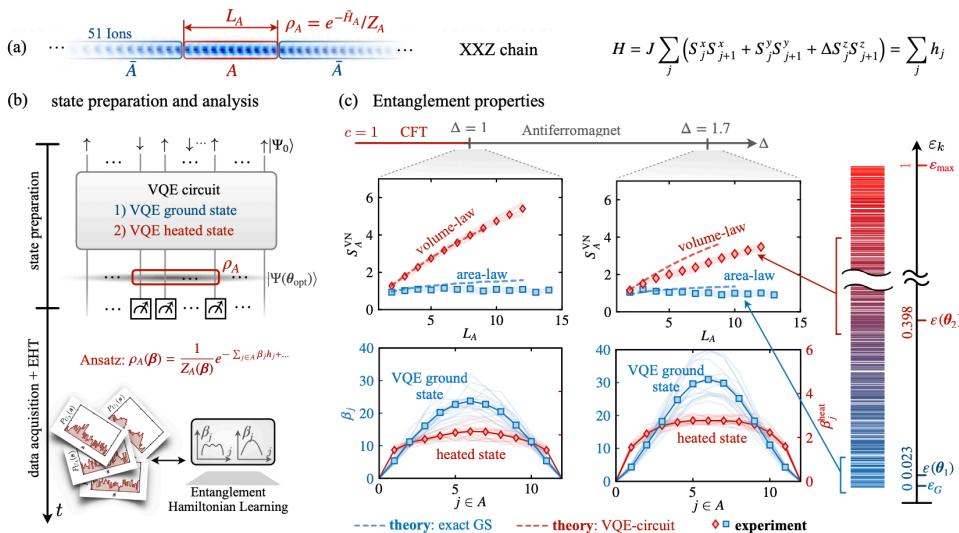
measure



Ground state

Exploring Large-Scale Entanglement in Quantum Simulation

Manoj K. Joshi,^{1, 2,*} Christian Kokail,^{1, 3,*} Rick van Bijnen,^{1, 3,*} Florian Kranzl,^{1, 2} Torsten V. Zache,^{1, 3} Rainer Blatt,^{1, 2} Christian F. Roos,^{1, 2} and Peter Zoller^{1, 3}



Probing ground-state properties of the kagome antiferromagnetic Heisenberg model using the variational quantum eigensolver

Jan Lukas Bosse^{1, 2,*} and Ashley Montanaro^{2, 1, †}
¹School of Mathematics, University of Bristol, Bristol, BS8 1QU, United Kingdom
²Phasecraft Ltd, Bristol, BS1 5DD, United Kingdom

JAN LUKAS BOSSE AND ASHLEY MONTANARO

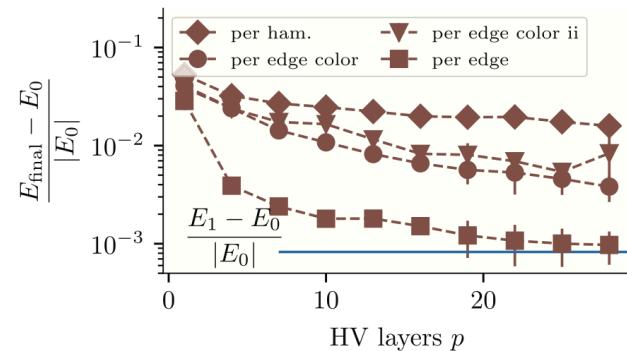


FIG. 12. Scaling of the relative energy error as a function of p for the 3×8 lattice with different ansatz circuits. Results are shown for three runs per data point and with the initial parameters chosen uniformly random within $[0, \frac{1}{p}]$. The error bars reflect the standard deviation between the different runs.

Variational quantum eigensolver for the Heisenberg antiferromagnet on the kagome lattice

Joris Kattemölle^{1, 2, 3} and Jasper van Wezel^{1, 2}

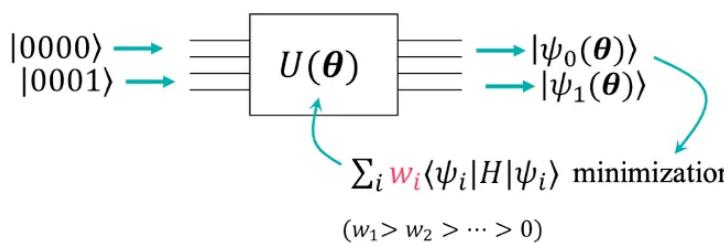
SS VQE

- Subspace Search VQE: for excited states

K. Nakanishi et al, 2019

$$|\Psi_n(\{\theta_i\})\rangle = U(\{\theta_i\})|\Psi_{n,0}\rangle$$

Choose N
orthogonal
initial states



$$\langle \Psi_{n'} | \Psi_n \rangle = \langle \Psi_{n',0} | \Psi_{n,0} \rangle$$

$$E_{\text{var}} = \sum_n w_n \langle \Psi_n | H | \Psi_n \rangle$$

$$w_n > 0$$

Just repeat the VQE with the same circuit on N initial orthogonal states and minimize (weighted) energy sum.

Elementary excitations

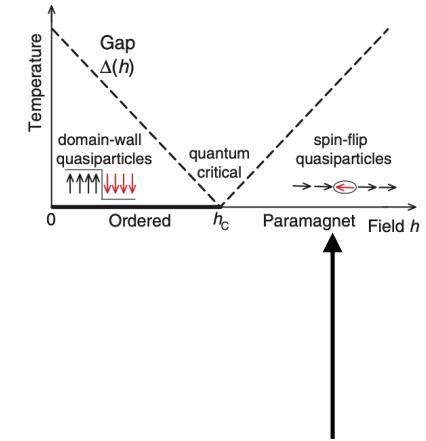
- Transverse field Ising chain

$$H_T = -J \sum_{i=1}^L Z_i Z_{i+1} - h \sum_{i=1}^L X_i$$

- Excitations at $J \ll h$:

$$| -_i \rangle = | + + \cdots -_i + \cdots + \rangle$$

$$| k \rangle = \frac{1}{\sqrt{N}} \sum_i e^{ikx_i} | -_i \rangle$$



Momentum eigenstates

Exact energy $\epsilon_k = 2\sqrt{h^2 + J^2 - 2hJ \cos k}$

? Can we get this from (SS) VQE?

VQE for Ising chain

- Natural circuit: preserve translational symmetry

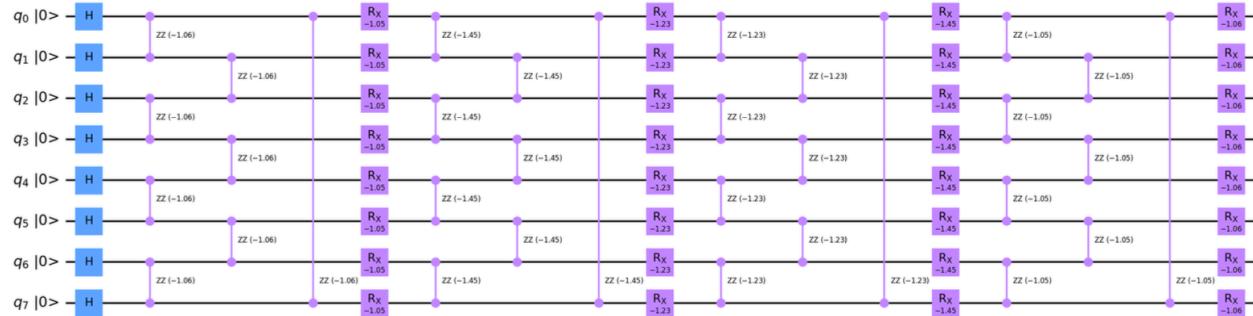
$$H_T = -J \sum_{i=1}^L Z_i Z_{i+1} - h \sum_{i=1}^L X_i$$

H_1

H_2

$$|\psi_P(\gamma, \beta)\rangle = e^{-i\beta_p H_1} e^{-i\gamma_p H_2} \dots e^{-i\beta_1 H_1} e^{-i\gamma_1 H_2} |\psi_1\rangle$$

Example
circuit



VQE for Ising chain

Efficient variational simulation of non-trivial quantum states

Wen Wei Ho^{1*} and Timothy H. Hsieh^{2,3}

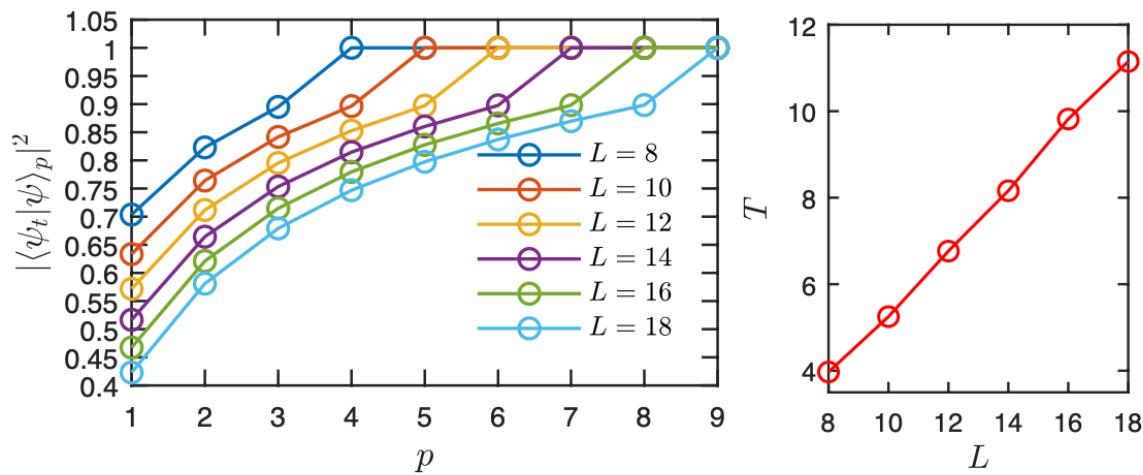


Figure 4: Preparation of critical state. (Left) Many-body overlap $|\langle \psi_t | \psi \rangle_p|^2$ of the prepared state with the target ground state of (9) found by exact diagonalization. Ones sees perfect fidelity for $p \geq L/2$. (Right) Total minimum time $T = \min_{(\gamma, \beta)} \left[\sum_{i=1}^{p=L/2} (\gamma_i + \beta_i) \right]$ required for the VQCS to produce the critical state with perfect fidelity using $\text{VQCS}_{p=L/2}$. One sees a linear trend $T \sim L$.

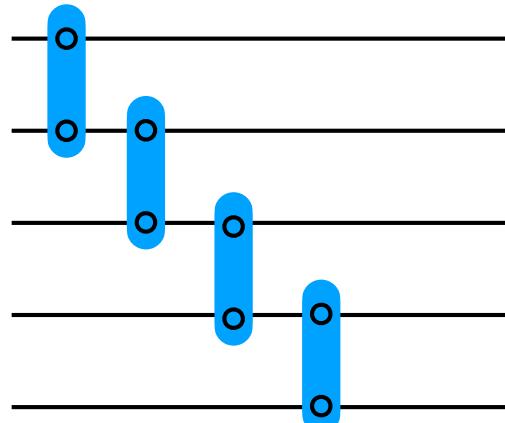
VQE for excited states?

$$| -_i \rangle = | + + \cdots -_i + \cdots + \rangle$$

$$| k \rangle = \frac{1}{\sqrt{N}} \sum_i e^{ikx_i} | -_i \rangle \quad \text{For } J/h \ll 1$$

$$\epsilon_k = 2\sqrt{h^2 + J^2 - 2hJ\cos k}$$

Issue: *translation operator T cannot be generated with a finite depth circuit (depth proportional to L).*



c.f D. Gross et al, 2012

Amount of translation is a "topological index" for 1d quantum cellular automata

VQE Attempt 1

- Let's not worry about it and just initialize a momentum state.

$$|\psi_0(k)\rangle = \frac{1}{\sqrt{N}} \sum_i e^{ikx_i} | -_i \rangle$$

- Generate

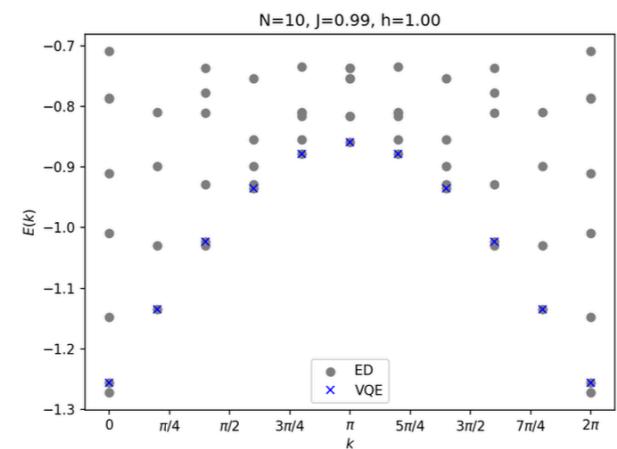
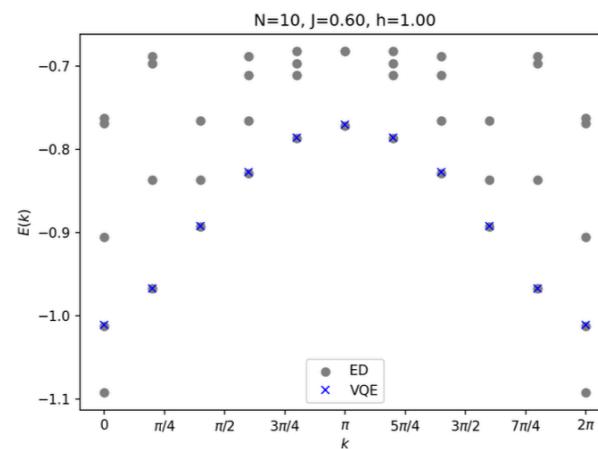
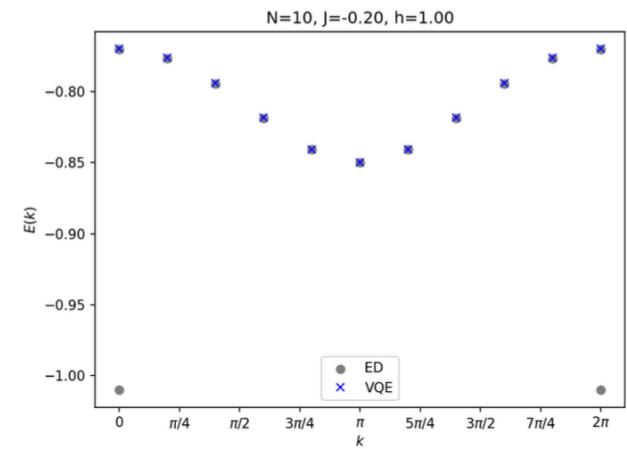
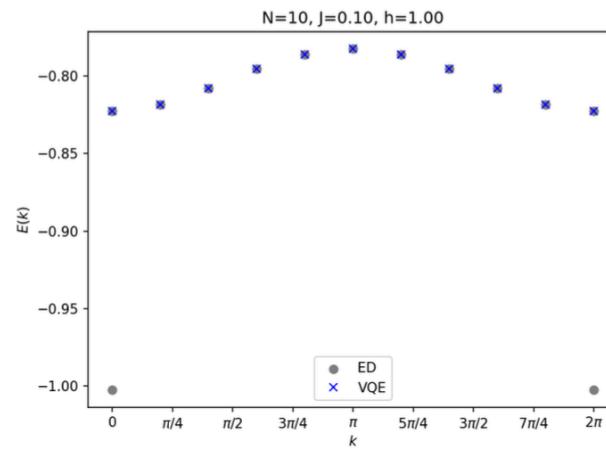
$$|\psi(k)\rangle = U(\{\beta_i\}) |\psi_0(k)\rangle$$

- Momentum conservation helps: k is conserved as is $P = \otimes_i X_i$

VQE Attempt 1

Simulations with QISkit

Works!



VQE attempt 2

- Make the system generate k state
- Trick 1: Parity conservation $P = \bigotimes_i X_i$.

Ground state $P=+1, k=0$ $|GS\rangle = U_+ | + + \cdots + \rangle$

Excited state $P=(-1)^N, k=0$ $|k=0\rangle = U_- | -- \cdots - \rangle$

Generates quasiparticle state if N odd!

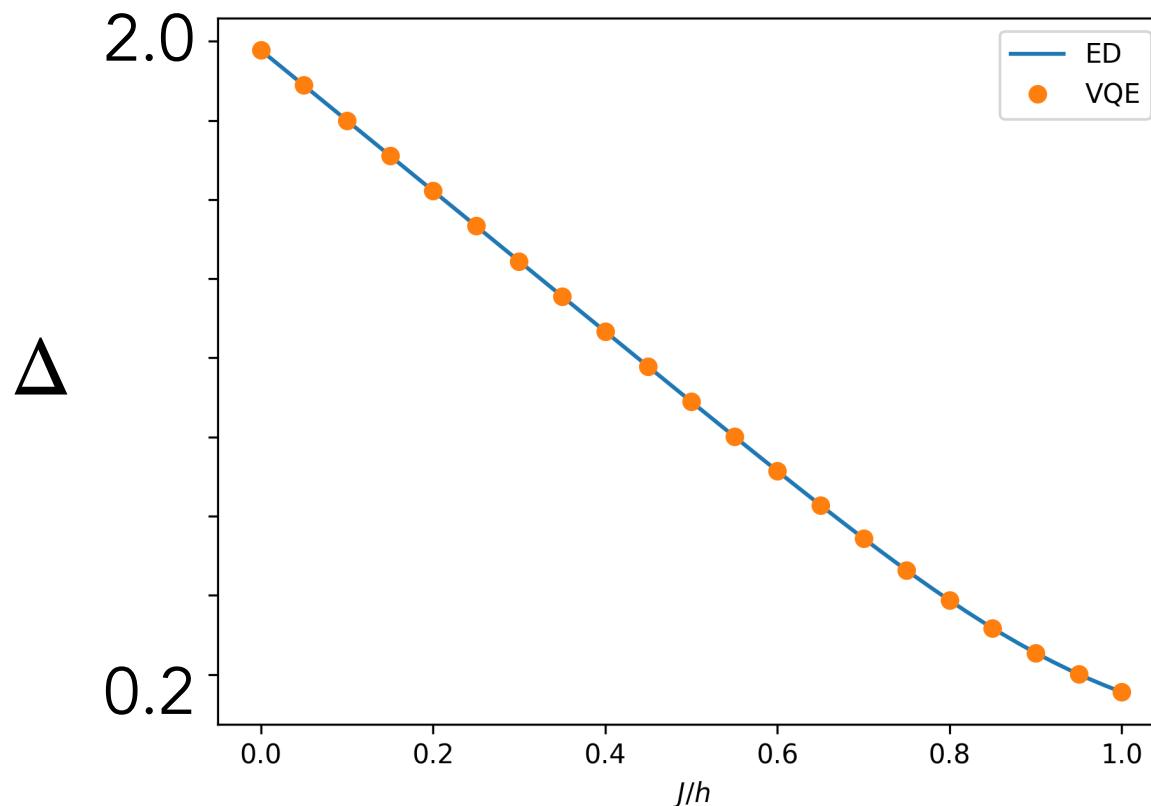
- In general this U depends on J/h (and is non-trivial even for $J/h=0$).

VQE attempt 2

- It works!

$$|GS\rangle = U_+ |++\cdots+\rangle$$

$$|k=0\rangle = U_- |--\cdots-\rangle$$



VQE attempt 2

- Generate other k values?
- Trick 2: for *ideal* single spin-flip state, can *change* k via local unitary

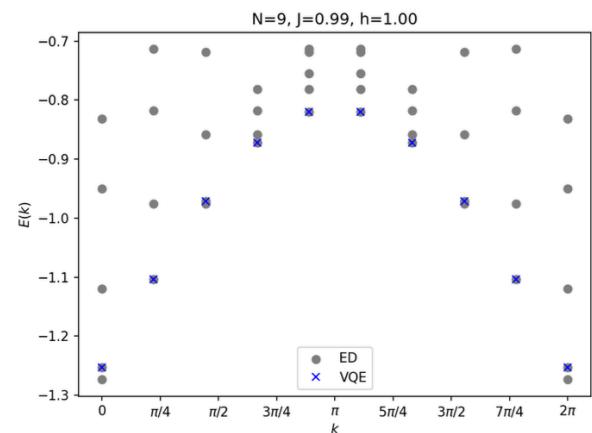
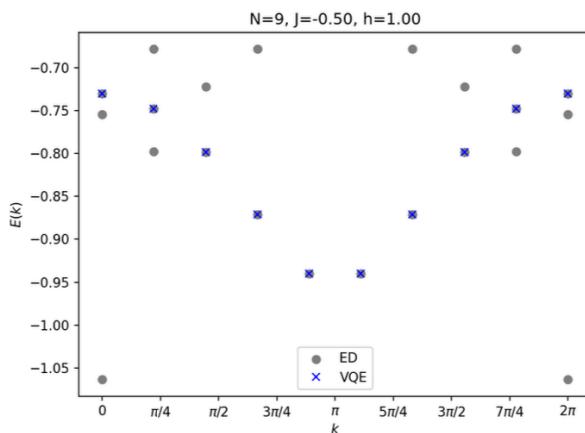
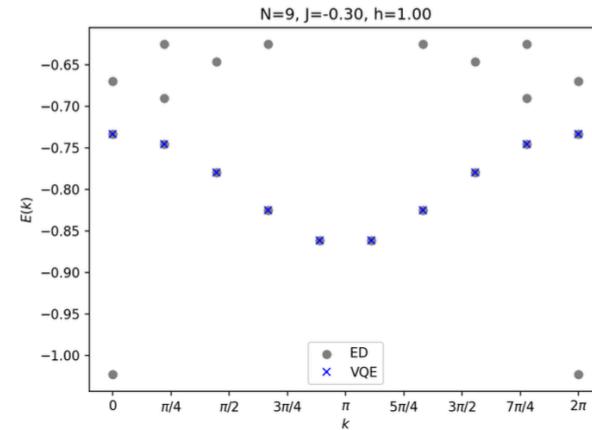
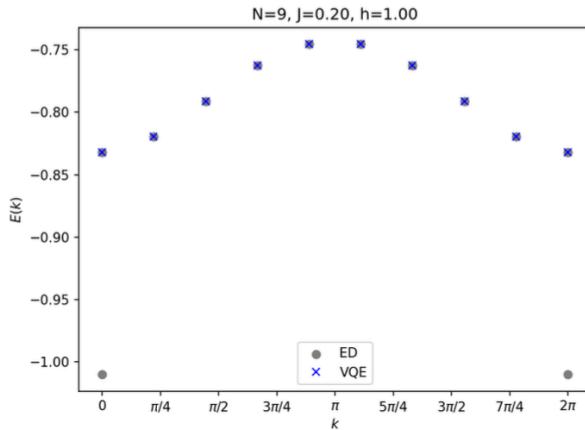
$$|k\rangle_0 = U_k |k=0\rangle_0 \quad |k=0\rangle_0 = \frac{1}{\sqrt{N}} \sum_i | -_i \rangle$$

$$U_k = \prod_j e^{ikx_j(\frac{1}{2} - \frac{X_j}{2})}$$

- So we have a protocol

$$|k\rangle = U_{\text{int}} |k\rangle_0 = U_{\text{int}} U_k U_-^0 |---\rangle$$

VQE attempt 2



This also works!

VQE attempt 3

- Can we work in *real* space instead of k space?
- What if we initialize to a *localized* excitation?

$$|x=0\rangle_0 = |++\cdots -_{x=0} + \cdots +\rangle = Z_0 \prod_i |+\rangle_i$$

- Evolved state

$$|x=0\rangle = U[\{\beta_i\}]|x=0\rangle_0$$

- Since U is translationally invariant and parity conserving, we have

$$|x=0\rangle = \frac{1}{\sqrt{N}} \sum_k U|k\rangle_0 = \frac{1}{\sqrt{N}} \sum_k |k\rangle$$

VQE attempt 3

- Variational energy

$$\langle x=0 | H | x=0 \rangle = \frac{1}{N} \sum_{k,k'} \langle k' | H | k \rangle = \frac{1}{N} \sum_k \langle k | H | k \rangle$$

- ★ Minimum is reached only if it is reached for each k state individually!

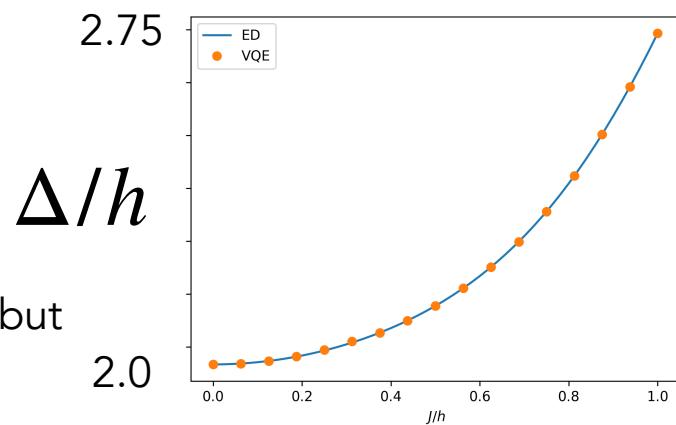
- Quantum parallelism! Just running VQE on this single state encodes the entire band of excited states!

VQE attempt 3

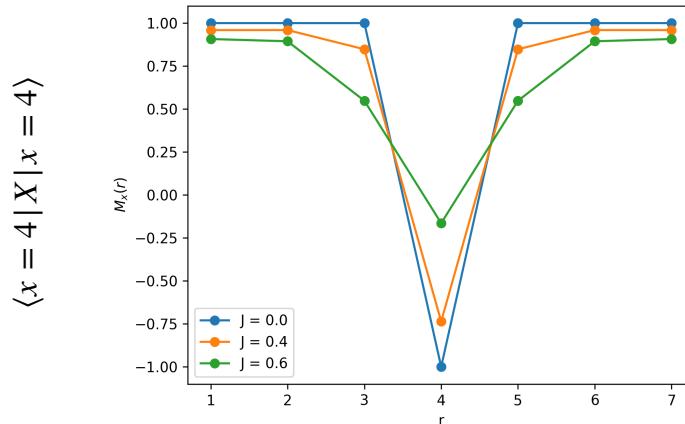
- Variational energy of this state gives the mean energy of the band

$$E_{x=0} - E_{GS} = \frac{1}{N} \sum_k \epsilon_k$$

With some work we can extract the entire band, but we're still trying to make it efficient



- We can also look at the state itself

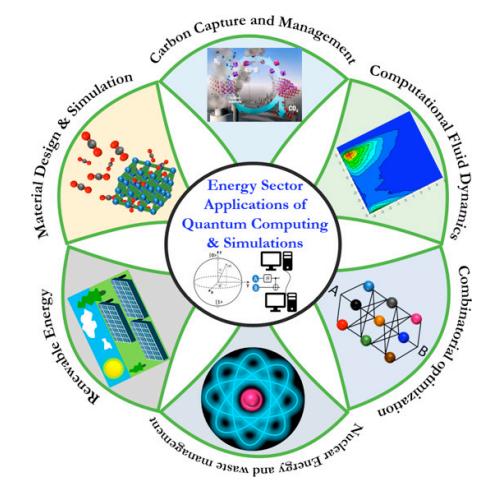
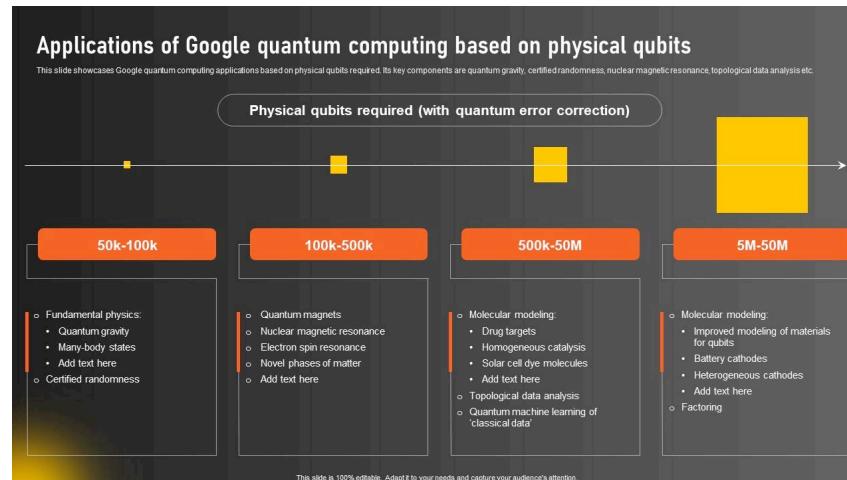


- Physically, we are generating the interacting analog of a Wannier state.

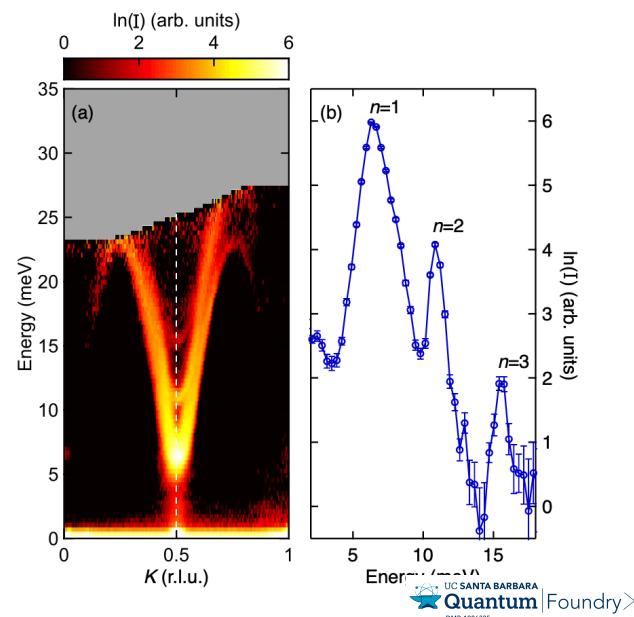
“The quasiparticle”

Is a QC useful for us?

I'm still not
sure about
this



But maybe this.



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Simons Collaboration on Ultra-Quantum Matter